

# Object Recognition using Temporal Pattern Recognition Networks with Adaptive Segmentation of Quantizer Neuron Architecture (TASQA)

Susumu MARUNO\* Chow Yuet Dih\*\*\* Yasuharu SHIMEKI\* Takashi ANEZAKI\*\* Yoshikazu Okahashi\*\*  
 maruno@crl.mei.co.jp chow@crl.mei.co.jp shimeki@crl.mei.co.jp

\* Central Research Laboratories  
 Matsushita Electric Ind. Co., Ltd.  
 Moriguchi, Osaka 570, Japan

\*\* FA Engineering Laboratory  
 Matsushita Electric Ind. Co., Ltd.  
 Kadoma, Osaka 571, Japan

\*\*\* AV/Information Research Center  
 Asia Matsushita Electric (S) Pte. Ltd.  
 BLK 1022, Hougang Avenue 1, #04-3526  
 Tai Seng Industrial Estate, Singapore 195

## ABSTRACT

One of the biggest issues of an object recognition is the recognition with rotation invariance under a fluctuating noisy environment. We proposed a Temporal Pattern Recognition Network with Adaptive Segmentation of Quantizer Neuron Architecture (TASQA) and a  $\phi$ -s transformation of shapes and applied them to object recognition.

The shape of the object is converted to a series of angles as a function of the circumference of the shape ( $\phi$ -s data) and can be treated as a series of temporal patterns. TASQA consists of networks (ASQA network) with quantizer neurons, which can proliferate themselves and form the networks automatically during training, and a layer of neurons with self feedback (self feedback layer). The self feedback layer unifies the temporal recognition results of ASQA networks during a certain period defined by the time constant of self feedback and this function can realize the function of selective attention to certain areas of a series of temporal patterns. As a result, TASQA realizes rotation invariance in recognition and we obtained 100% recognition accuracy of 5 images with fluctuating noise taken by CCD camera.

## $\phi$ -s TRANSFORMATION

Figure 1 shows a schematic diagram of  $\phi$ -s transformation. Points on a boundary of the object are transformed into a series of counter clock wise angles  $\phi$  as a function of the circumference of the boundary  $s$ . As a result, the shape of the object can be treated as temporal wave data and the rotation  $\delta$  of the object is expressed as the vertical shift of the wave data. The  $\phi$ -s data of the object is input to the ASQA networks in the object recognition system using TASQA.

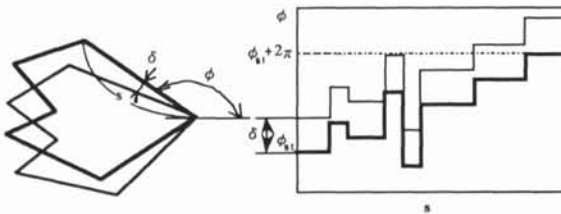


Figure 1. Schematic diagram of  $\phi$ -s transformation

## NETWORK STRUCTURE OF TASQA

Figure 2.1 shows the structure of TASQA. TASQA consists of ASQA networks and a self feedback layer. ASQA networks with quantizer neurons recognize a temporal pattern of  $\phi$ -s data and send temporal results to the self feedback layer. The self feedback layer unifies the temporal results during a certain period defined by the time constant of self feedback.

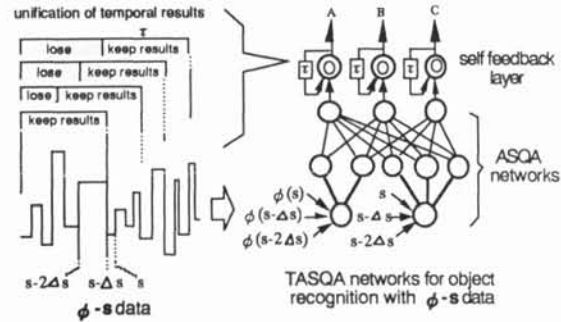


Figure 2.1. Structure of TASQA

## STRUCTURE OF ASQA NETWORKS

One of the biggest issues of neural networks is how to design the structure. ASQA networks consists of quantizer neurons which can proliferate themselves and form the optimum network structure for the recognition automatically during training. As a result, there is no need to design the structure of the networks.

### Principle of quantizer neuron

Figure 2.2 shows the basic structure of the quantizer neuron (QN). It has a quantizer, a quantizer data input terminal R, a selection signal input terminal S and output terminals  $O_j$ . The quantizer of the quantizer neuron maps the feature data input  $Q$  from terminal R into the discrete-valued  $d$  which indicates one of  $O_j$ . The weights  $\tau_j$  of  $O_j$  ( $j=1$  to  $j_{max}$ ) are set according to the discrete-valued  $d$  using combination function given by equation (1).

As a result, weights are set dynamically according to the feature data input from quantizer input terminal as shown in figure 2.3.

The selection signal  $T$  is input from the terminal S and the output signals  $T\tau_j$  are sent to the neurons connected to  $O_j$ .

$$\tau_j = g(j, \delta) \quad (1)$$

( example:  $g(j, \delta) = 1 - b(j - \delta)^2$  )

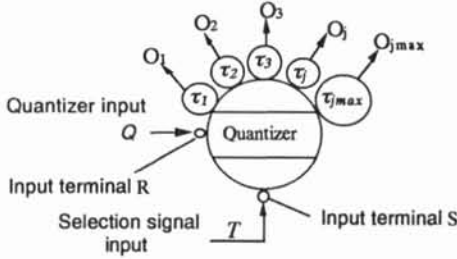


Figure 2.2. Structure of the quantizer neuron

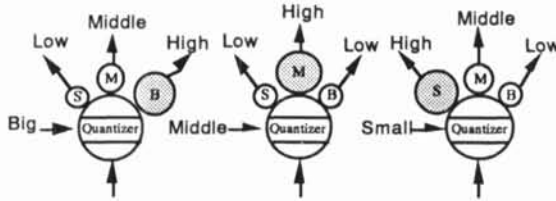


Figure 2.3. Schematic diagram of the function of quantizer neuron

### Structure of quantizer for ASQA

The quantizer of the quantizer neuron for ASQA consists of quantizer units shown in figure 2.4. Each quantizer unit has an upper limit  $X_{Ui}$  and a lower limit  $X_{Li}$  for a range of quantization, a variable  $A_i$  for storing the average of input data, a variable  $\sigma_i$  for storing the variance of input data and a variable  $E_i$  for storing internal energy of each unit. Weight  $\tau_i$  is connected to each quantizer unit and when the input data  $x$  is within the range of quantization of unit  $c$ , all weights are set according to equation (2) and equation (3).

$$\tau_c = 1 \text{ when } X_{Lc} \leq x < X_{Uc} \quad (2)$$

$$\tau_i = g(i, c) = 1 - \beta(i - c)^2 \quad (3)$$

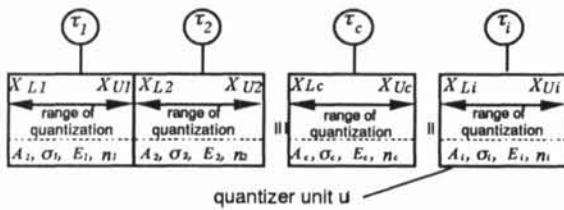


Figure 2.4. Structure of quantizer units

### Adaptive segmentation of quantizer units

Quantizer neurons have only one quantizer unit and the upper limit  $X_{Ui}$  and the lower limit  $X_{Li}$  for the range of quantization of the unit are set to cover the range of input data at the initial condition.

When the data  $x$  is inputted, the quantizer unit calculates the average  $A_i$  of input data, the variance  $\sigma_i$  of input data, number of training iteration  $n$  and the internal energy  $E_i$  using each previous value according to equations (4) through (7).

$$A_i \approx \frac{n_{i0} \cdot A_{i0} + x}{n_{i0} + 1} \quad (4)$$

$$\sigma_i \approx \frac{n_{i0} \cdot \sigma_{i0} + |x - A_i|}{n_{i0} + 1} \quad (5)$$

$$n_i = n_{i0} + 1 \quad (6)$$

$$E_i = n_i \cdot \sigma_i \quad (7)$$

When the internal energy  $E_i$  exceeds the threshold  $\alpha$ , the quantizer unit  $U_i$  splits into two units  $U_i$  and  $U_{i+1}$ , as shown in figure 2.5. The upper limit  $X_{Ui}$  of the unit  $U_i$  is set to the average of input data  $A_i$ . The lower limit  $X_{Ui+1}$  and the upper limit  $X_{Li+1}$  of the new unit  $U_{i+1}$  are set to the average of input data  $A_i$  and the previous upper limit  $X_{Ui}$  of the unit  $U_i$  according to equations (9) through (12). The average  $A$ , the variance  $\sigma_i$ , the internal energy  $E_i$  and the training iteration  $n$  of each units are also initialized according to equations (13) through (17).

Condition of segmentation :

$$E_i > \alpha \quad (\alpha : \text{threshold}) \quad (8)$$

$$X_{Li'} = X_{Li} \quad (9), \quad X_{Ui'} = A_i \quad (10)$$

$$X_{Li+1} = A_i \quad (11), \quad X_{Ui+1} = X_{Ui} \quad (12)$$

$$A_i = \frac{X_{Li'} + X_{Ui'}}{2} \quad (13) \quad A_{i+1} = \frac{X_{Li+1} + X_{Ui+1}}{2} \quad (14)$$

$$\sigma_{i'} = \sigma_{i+1} = 1 \quad (15) \quad n_{i'} = n_{i+1} = 1 \quad (16)$$

$$\tau_{i+1} = \tau_i \quad (17)$$

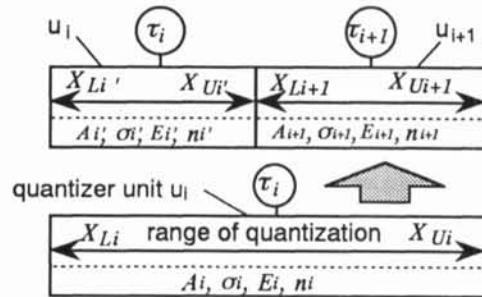


Figure 2.5. Segmentation of quantizer units

### Proliferation of quantizer neurons

After the segmentation of quantizer units, a new neuron  $QN_2'$  which is the reproduction of  $QN_2$  is made as shown in figure 2.6; thus, ASQA networks are

constructed automatically as shown in figure 2.7. The output of the output neuron  $p$  of ASQA networks is given by equation (18).

$$y_p = f \left( \sum_{i=1}^N \sum_{j=1}^{\max} t \cdot \tau_{ij} \cdot \tau_{ijp} \right) \quad (18)$$

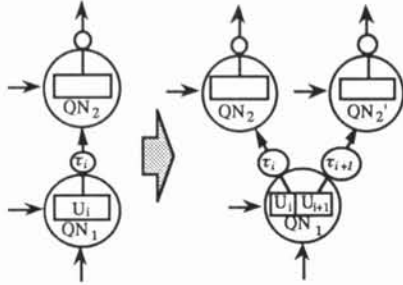


Figure 2.6. Proliferation of quantizer neurons

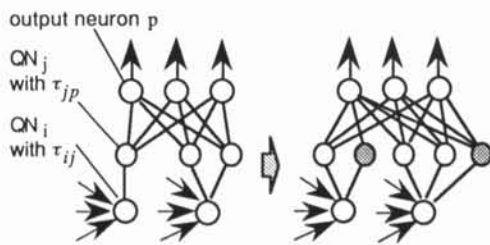


Figure 2.7. Self generation of ASQA networks

### Structure of self feedback layer

The self feedback layer consists of neurons with self feedback. Each neuron is labeled as a target object. Each neuron  $p$  unifies the temporal recognition results  $y_p(T)$  of ASQA networks during a certain period defined by the time constant  $\Gamma$  of self feedback and the output  $u_p(T)$  at time  $T$  is given by equations (19).

$$u_p(T) = h \left( \int_0^T y_p(t) \cdot e^{-t/\Gamma} dt \right) \quad (19)$$

( $h$  : threshold function)

### Training of TASQA

During the training process, weights between the neurons of the output layer and the hidden layer of ASQA network are also changed so that the final output of self feedback layer becomes correct while the neurons proliferate. If the answer  $p$  is incorrect, supervisor datum  $p^*$  is input to the neurons of the hidden layer and the weight  $\tau_{ijp}^*$  is increased by  $\delta\tau_{ijp}^*$  according to the covariance rule.

## EXPERIMENT OF OBJECTS RECOGNITION WITH TASQA

We took 5 different pictures (from image 1 to image 5) of the same sets of mechanical components including 10 objects by CCD camera. Each image has the same set of mechanical components; however, the shape of components are different image by image because of the difference of lighting and noises. We extracted the boundaries of objects as shown in figure 3.1 and converted

those into  $\phi$ -s data sets. We prepared TASQA networks as already shown in figure 2.1. The input data set to TASQA networks are  $\phi(s)$ ,  $\phi(s-\Delta s)$ ,  $\phi(s-2\Delta s)$ ,  $s$ ,  $s-\Delta s$  and  $s-2\Delta s$  as also shown in figure 2.1. Three neurons of self feedback layer are labeled as the target A, the target B and the other categories and we taught TASQA with 2 object (the object 11 in image 2 and the object 19 in image 4 shown in figure 3.1) as the recognition targets A and B. We performed a recognition experiment using data sets not used for training with various time constants of self feedback.

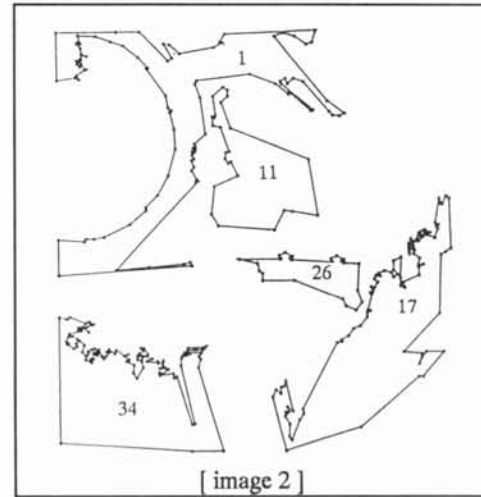


Figure 3.1. Example of the boundary shape

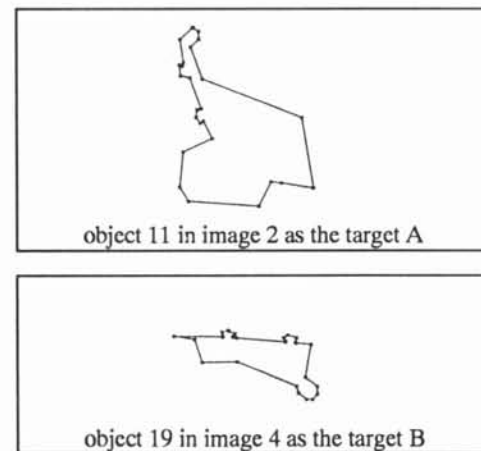


Figure 3.2. Taught object as the targets  
The object 11 in image 2 is taught as the target A and the object 19 in image 4 is taught as the target B.

### Recognition results

#### [Recognition output of TASQA]

Figure 3.2 shows the output of each neuron in the self feedback layer as a function of circumference of the boundary (data  $s$  of  $\phi$ -s data sets) of the objects when the  $\phi$ -s data of object 7 in image 4 shown in figure 3.3 is input to TASQA and the time constant  $\Gamma$  is set to infinity.

Right hand side of object 7 was different from the trained object 11 in image 2 as the target A because of

shadow and as a result, the output of the neuron labeled as the target A started to decrease and the output of the neuron labeled as the other categories started to increase from the point  $s_x$ . This result shows that optimization of the time constant will give the most accurate answer.

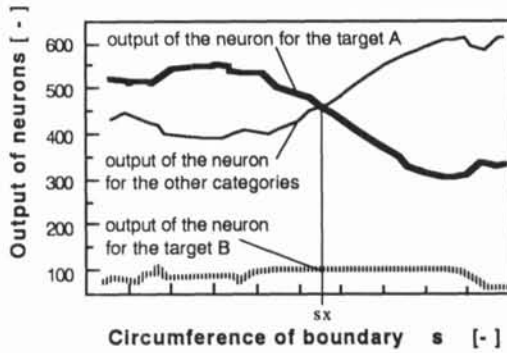


Figure 3.2. Recognition output vs. circumference of boundary of object

The output of the neuron for the target A started to decrease and the output of the neuron for the other categories started to increase from the point  $s_x$ .

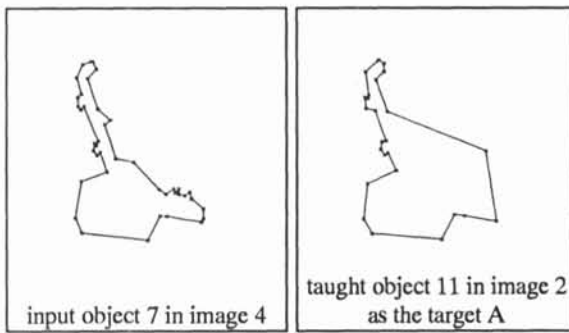


Figure 3.3. Boundary shape of input object

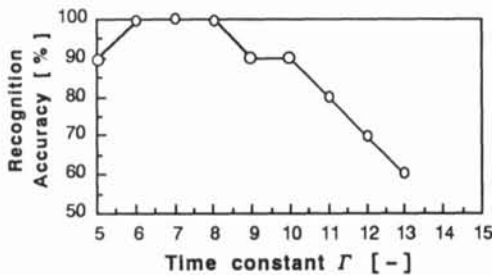


Figure 3.4. Average accuracy of object recognition vs. time constant  $\Gamma$  of self feedback

The recognition accuracy depended on the time constant  $\Gamma$  and the time constant of about half length of the target  $\phi$ -s data sets used for training gave us the average accurate answer rate of 100%.

**[Accuracy of the objects recognition]**

Figure 3.4 shows the average recognition rate of the object recognition of 5 images as a function of the time constant  $\Gamma$  of self feedback. The recognition accuracy depends on the time constant  $\Gamma$ ; and a time constant of

about half the length of target  $\phi$ -s data sets used for training gave us the best recognition rate of 100%.

**DISCUSSIONS AND CONCLUSIONS**

We proposed a Temporal Pattern Recognition Network with Adaptive Segmentation of Quantizer Neuron Architecture (TASQA) and a  $\phi$ -s transformation of shapes and applied those to object recognition.

One of the biggest issues in object recognition is rotation invariance under an environment of fluctuating noise. We performed object recognition experiments using 5 images including a set of mechanical components taken by CCD camera with  $\phi$ -s transformation and TASQA. The recognition accuracy was found to depend on the time constant  $\Gamma$  of self feedback. A time constant equal to about half the length of target  $\phi$ -s data sets used for training gave us an average recognition accuracy of 100% for noisy rotated images.

TASQA consists of ASQA network with quantizer neurons and a self feedback layer. Quantizer neurons can proliferate themselves and form the networks automatically during training; therefore there is no need to design the network. The self feedback layer unifies the temporal recognition results of ASQA networks during a period defined by the time constant of self feedback, and this function can direct attention selectively to certain areas of a series of temporal patterns. The selective attention areas can be easily adjusted by changing the time constant of self feedback according to the length of  $\phi$ -s training data used as target objects to TASQA. Thus, TASQA can combat the biggest issues of recognition, rotation invariance under fluctuating noisy environment, and wider application of pattern recognition is expected.

Future tasks are (1) Optimization of the input data set of  $\phi$ -s data and (2) Study on recognition of user specified points on the boundary of the shapes as grasp points for robot vision.

**References**

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